# Beal conjecture disproved as no common prime factors in 3 Counterexample 

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## INTRODUCTION

There are no common prime factors in our counterexample so Beal conjecture is shown false.

## DISCUSSION

Example 1
$64+16+1=81$
$4^{3}+\left(2^{4}+1\right)=3^{4}$

No common prime factors so Beal conjecture is false and disproved

Example 2
$3^{3}+10^{2}+1^{3}=2^{7}$
Example 2 shows there are no common prime factors.
Example 3 shows the common factors can be composite rather than prime numbers
$10^{3}+12^{3}+2^{4=} 14^{3}$
$1000+1728+16=2744$
The common prime factor can be composite and not prime so Beal conjecture can be disproved.

## CONCLUSION

Beal conjecture can be shown false by Counterexample showing prime factors are not needed.

